

On the Effects of Learning Set Corruption in Anomaly-based Detection of Web Defacements

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Anomaly detection in brief

- Common approach for intrusion detection
- How it works:
 1. Builds a profile of the resource to be monitored based on a **learning set**
 2. Signals **deviations** from the profile
 - **Assumption:** any deviation represents an evidence of an attack

Anomaly detection: requirements

- Learning set \equiv “**normal**” usage of the resource
 - It should be representative enough
 - It should be attack-free

Attack free learning set

- Usually the set is checked “manually” or taken for clean
- Problematic if:
 - Many resources to be monitored
 - Need to update profiles over the time

Coping with corrupted learning set

1. **Understanding** how it affects anomaly detection effectiveness
2. **Detecting**, i.e., being able to discriminate between corrupted and clean learning sets
3. **Mitigating**, i.e., preserving anomaly detection effectiveness in spite of corruption

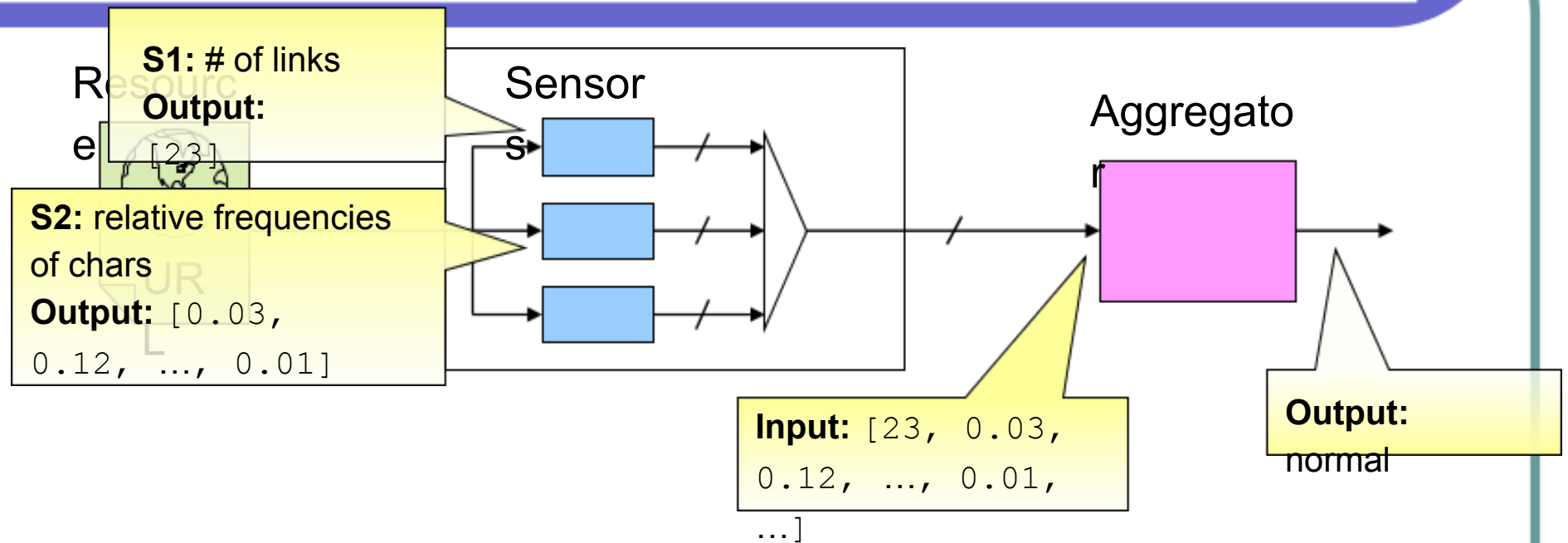
Our case study

- **Anomaly-based defacement detection** system that we developed earlier
(IEEE Internet Computing Nov-Dec 2006)
- Monitors **many remote** web pages at regular intervals and raises an alert when a page deviates from its profile
- Key features:
 - **Dynamic** pages
 - **No prior knowledge** about the monitored pages

Attack-free?

- Exactly the “problematic” scenario:
 - Need to update profiles over the time
 - Many resources to be monitored
- Moreover:
 - Learning sets are small (~30 readings)
 - Even a single corrupting reading might be too much...

Checker: how it works



- **Sensor**

- Functional block
- Quantifies page features

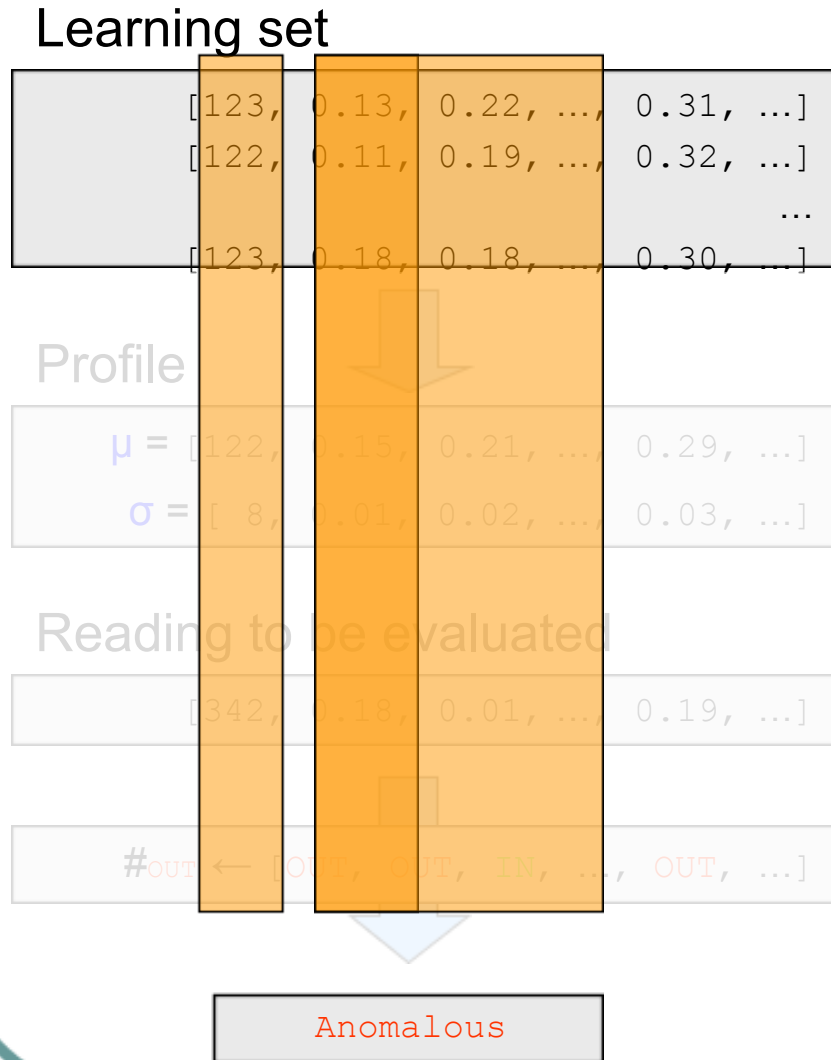
- **Aggregator**

- Builds the profile
- Detects deviations from profile

Sensors

- In our prototype
 - 43 sensors
 - Grouped in 5 “categories”
 - Producing a numerical vector with 1466 elements
- “Many” page features from “many” points of view
 - Details in the paper

Aggregators in brief



- For the **simplest aggregator**, profile is composed by μ and σ
- Evaluations: check for $v_i \notin [\mu_i - 3\sigma_i, \mu_i + 3\sigma_i]$
- The other involves more complex operations, grouping vector elements in a different way

Aggregators

- We evaluated
 - Varying amount of corruption in the learning set
 - With 3 different aggregators
- Example (simplest aggregator):
 - Detects deviations from $\mu \pm 3$ sigma separately for each vector element
 - Sensitivity \equiv Number of “anomalous” elements

Checker effectiveness indexes

- False positive rate (**FPR**), false negative rate (**FNR**) and area under the ROC curve (**AROC** or AUC)
- Given a page, a set S_N of its genuine readings and a set S_P of positive readings (attacks)
 - Use part of S_N to build the profile
 - Use the remaining to test for false positives
 - Use S_P to test for false negatives

Experiments: data set

- Negative readings
 - **15 web pages** observed for...
 - ...**1 year** and downloaded...
 - ...each **6 hours**
 - totalling about 20000 readings
- Positive readings
 - **100 readings** extracted from a publicly available attacks (defacements) archive

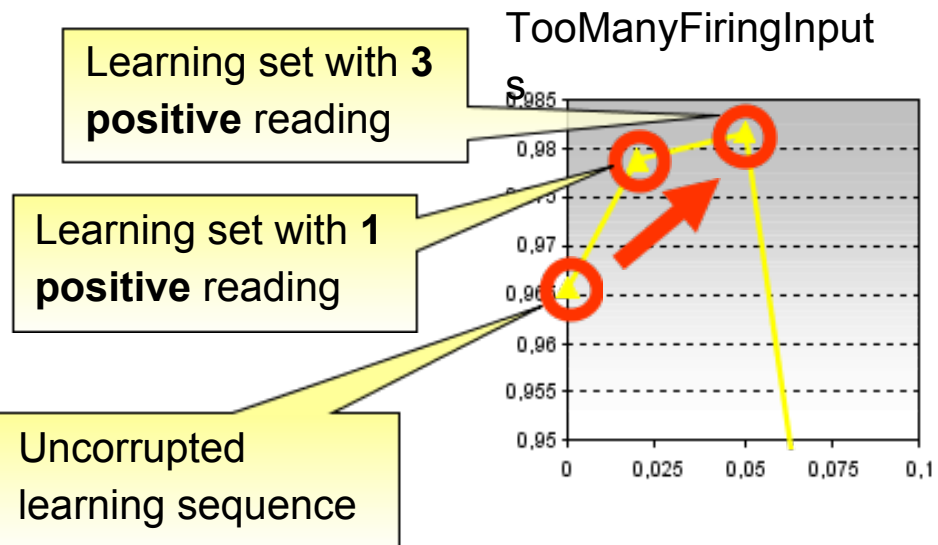
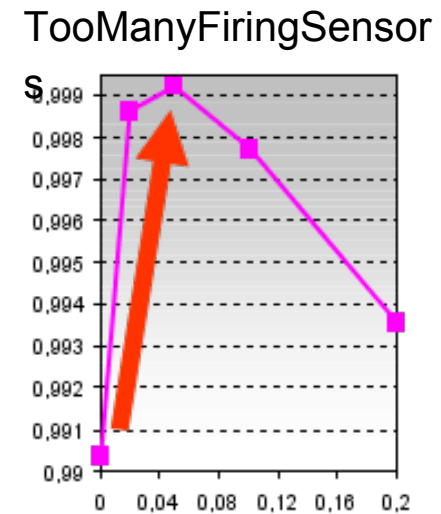
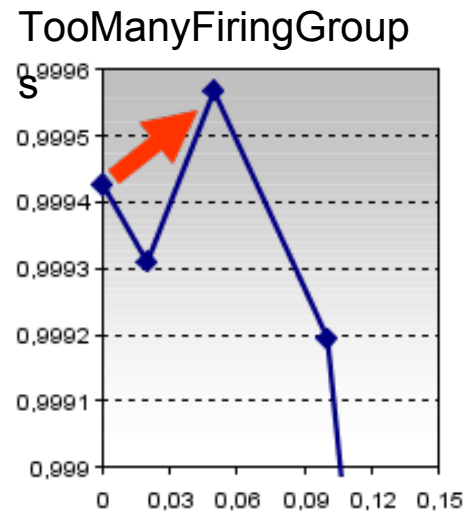
Experiments: in a nutshell

- We built a number of **corrupted** learning sets
- Varying values for the corruption rate **r**
 - 2%, 5%, ..., 75%
- Experiments repeated for each of the 3 aggregators
- **Goal:** measure how **r** affects **FPR**, **FNR** and **A_{ROC}** for the given aggregator

Experiments: some details

- We started with a set S_n of genuine readings
- We inserted in it one (repeated) simulated attack p extracted from S_p
- We evaluated FPR , FNR , A_{ROC} for the resulting corruption rate r
- Repeated by varying r (2%, 5%, ... 75%)
 - Repeated by varying p , S_n and page, totalling 1500 tests for each r
- Repeated all the above for each of the 3 aggregators

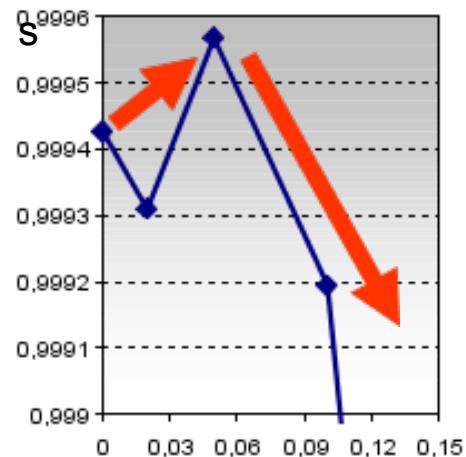
Effects on corruption rate on AROC



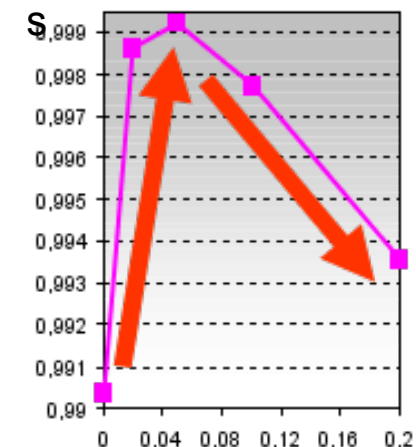
Effects on corruption rate on AROC

- AROC increases for small values of r ...
- ... and decreases for larger r
- This could be useful for *mitigation*...

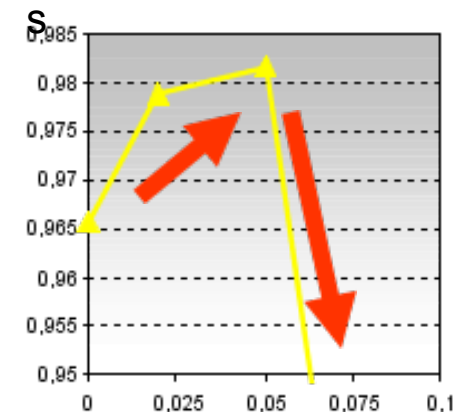
TooManyFiringGroup



TooManyFiringSensor

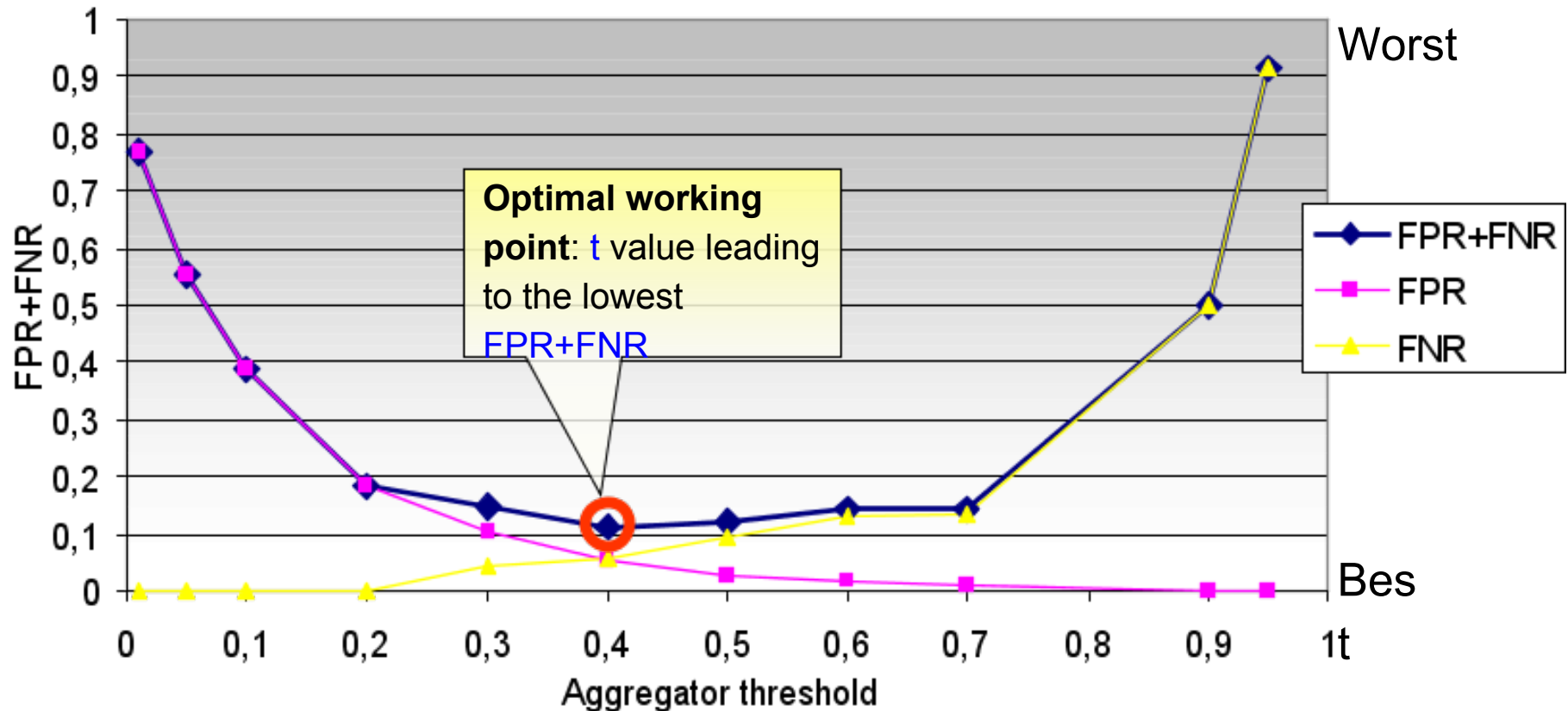


TooManyFiringInput



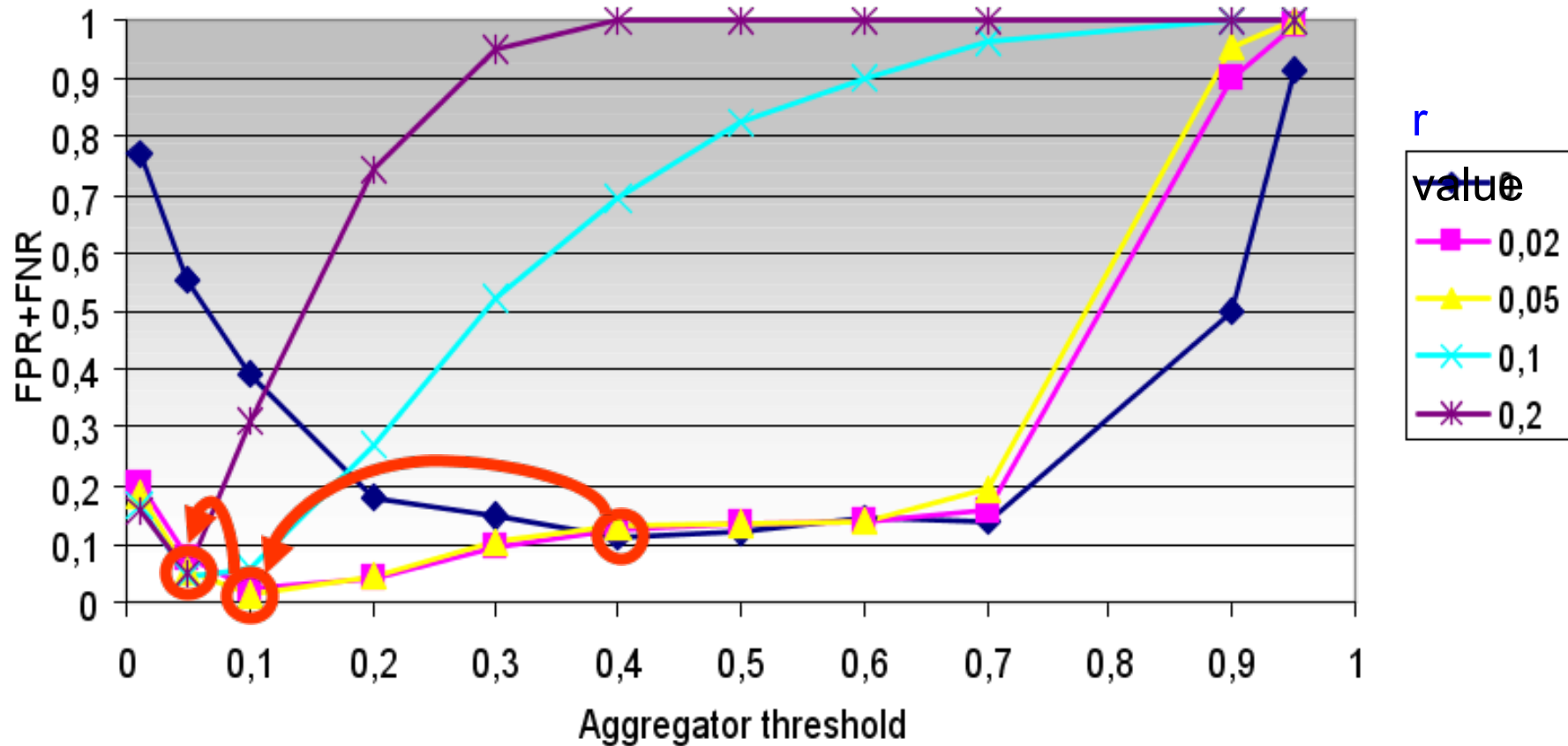
FPR and FNR with uncorrupted learning set

TooManyFiringSensors: **FPR+FNR**



FPR and FNR with corrupted learning set

TooManyFiringSensors: FPR+FNR



Understanding: conclusions

- **As expected:**

- If $r \uparrow$ then $FPR \downarrow$ and $FNR \uparrow$
- Optimal working points change

- **Interestingly:**

- The more effective the aggregator, the greater the worsening
- With a fixed t , corruption heavily affect FNR ; changing t might avoid or reduce worsening
- With low r values, effectiveness does not worse significantly in terms of A_{ROC} , instead it can improve

Detecting

- **Goal:** determining if a learning sequence **S** is clean or corrupted
- **Difficult if:**
 - Small learning set than cannot be further reduced
 - No hypothesis about the expected effectiveness

Detecting: key idea

1. We compute **FPR** and **FNR** using **S**
 2. We artificially corrupt **S** with 1 and 3 positive readings, obtaining **S₁** and **S₃**
 3. We compute **FPR** and **FNR** using **S₁** and **S₃**
 4. If effectiveness with **S** is much better than with **S₁** and **S₃**, then **S** was clean, otherwise, it was corrupted
- We need **not to divide S** in subsets
 - Works with small learning sets

Detecting: results

- Our procedure works quite well
 - Always detects corrupted sets, with r up to 0.5
- With the more effective aggregator
 - Our procedure works perfectly (no false positive, no false negatives)
- With the two other aggregators
 - It detects all corrupted sets, but shows a too high number of false positives

Detecting: motivation

- How r affects **FNR** and **FPR** on fixed t point?

r	From clean to modestly corrupted sequence		Significant FPR and/or FNR variations		From modestly corrupted to a bit more corrupted	
	$t = t_{opt} = 0.9$	$t = t_{opt} = 0.9$	$t = t_{opt} = 0.4$	$t = t_{opt} = 0.4$	$t = t_{opt} = 0.05$	$t = t_{opt} = 0.05$
0.00	0.0	1.9	5.4	5.7	11.4	5.2
0.02	0.0	73.4	0.1	12.4	6.5	5.6
0.05	0.0	77.6	0.1	12.9	5.5	6.3
0.10	0.0	83.9	0.0	69.5	2.5	75.8
0.20	0.0	87.7	0.1	99.9	2.5	99.4
0.35	0.0	87.7	0.1	99.9	2.6	99.6
0.50	0.0	87.7	0.1	99.9	2.8	99.6
0.75	0.0	87.7	0.3	99.8	11.3	99.4

● Thanks!